



**CAMPBELL RIVER**  
School District 72

# GRADE 4&5 MATH

## OPERATIONAL FLUENCY

This brochure highlights some of the methods for developing computational fluency in grades 4 & 5.

For more information, visit  
<https://www.sd72.bc.ca/72learninghub/elementary-1>

### MULTIPLICATION: HALVE AND DOUBLE

This efficient strategy involves halving and doubling factors numbers without changing the product.

Consider  $16 \times 25$ :

- 1 Taking half of one factor times the double of the other, gives the same result.

$$16 \times 25 = 8 \times 50$$

- 2 We can repeat the process again if desired

$$8 \times 50 = 4 \times 100$$

SO, THE PRODUCT IS 400

### BREAK-APART DIVISION:

Division in grade 4 and 5 involves breaking apart numbers into smaller, equal groups.

Consider this: We have 252 buttons to put into 4 boxes.

We can separate the 252 into 2 groups of 126 and then break those groups in half to make 4 groups of 63.

$$\text{So, } 252 \div 4 = 63$$

### MULTIPLICATION: PARTIAL PRODUCTS

Students progress from area/array models (other side) to working with numbers. Consider  $26 \times 45$ . We can break apart each factor by place value.

$26 = (20 + 6)$  We can then multiply each of the "parts" and then add the products back together.  
 $45 = (40 + 5)$

$$\begin{array}{r} (20 \times 40) + (20 \times 5) + (40 \times 6) + (6 \times 5) \\ 800 + 100 + 240 + 30 \\ 900 + 240 + 30 \\ 1140 + 30 \\ = 1170 \end{array}$$

Multiplication with this method builds understanding of place value and helps develop mental math skills and later skills with the traditional algorithm, and algebra concepts, including factoring polynomials.

Another Example:  $52 \times 21$

$$\begin{array}{r} (52 \times 10) + (52 \times 10) + (52 \times 1) \\ 520 + 520 + 52 \\ 1040 + 52 \\ = 1092 \end{array}$$

$$\text{So, } 52 \times 21 = 1092$$

## ADDITION: PARTIAL SUMS

Students break apart addends by place value. Consider  $248 + 345$ :

$$\begin{aligned} 248 &= (200 + 40 + 8) \\ 345 &= (300 + 40 + 5) \\ &500 + 80 + 13 \\ \text{The sum} &= 593 \end{aligned}$$

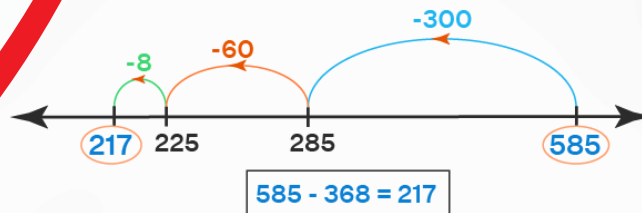
## ADDITION: ADJUSTING

By sharing units from one addend to another, we can make the total easier to compute. Consider  $326 + 274$ . We can take 1 from 326 and give it to 275 to make the numbers easier to work with.

$$\begin{array}{r} 326 + 274 \\ -1 \quad +1 \\ \hline 325 + 275 = 600 \end{array}$$

## SUBTRACTION: ON A NUMBER LINE

A number line can be used to model subtraction with the jumps being the number being subtracted (example below).



Or, the difference can be represented as the space between the two given values. Consider  $126 - 49$



$$\text{So, } 126 - 49 = 77$$

## SUBTRACTION: ADJUSTING

We can use "friendly numbers" to solve subtraction problems. Consider  $4,000 - 563$

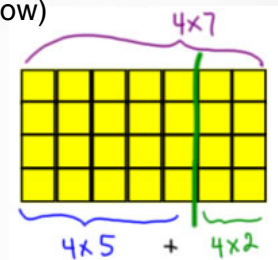
Removing 1 from each value makes this problem much simpler.

$$\begin{array}{r} 4\ 000 - 563 \\ -1 \quad -1 \\ \hline 3\ 999 - 562 = 3\ 437 \end{array}$$

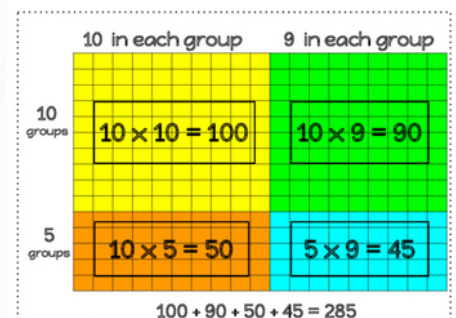
## MULTIPLICATION: AREA / ARRAY

The area / array model for multiplication connects to the distributive property and can be used to solve multi-digit multiplication problems. (See the 3 examples below)

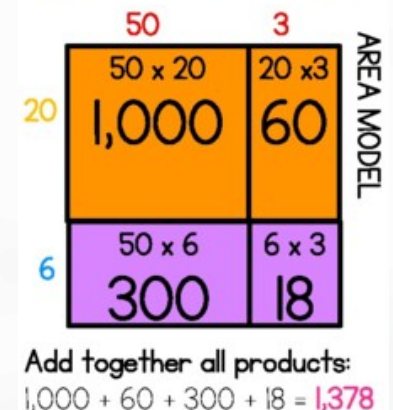
$$4 \times 7$$



$$15 \times 19$$



$$26 \times 53$$



Add together all products:  
 $1,000 + 60 + 300 + 18 = 1,378$